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1937年

1937年

1937年1月1日，日本帝国主义侵华战争爆发，中国人民开始了艰苦卓绝的抗日战争。在这一年，中国共产党领导全国人民，进行了英勇的斗争，取得了伟大的胜利。在这一年，中国共产党领导全国人民，进行了英勇的斗争，取得了伟大的胜利。在这一年，中国共产党领导全国人民，进行了英勇的斗争，取得了伟大的胜利。

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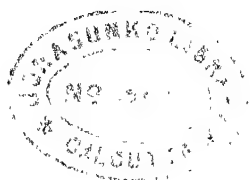
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이 때 \mathbf{a} 와 \mathbf{b} 는 $\mathbf{a} = \begin{pmatrix} a_1 \\ a_2 \end{pmatrix}$, $\mathbf{b} = \begin{pmatrix} b_1 \\ b_2 \end{pmatrix}$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = a_1 b_1 + a_2 b_2$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 외적은 $\mathbf{a} \times \mathbf{b} = \begin{vmatrix} \mathbf{i} & \mathbf{j} \\ a_1 & a_2 \\ b_1 & b_2 \end{vmatrix}$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 크기는 $|\mathbf{a}| = \sqrt{a_1^2 + a_2^2}$, $|\mathbf{b}| = \sqrt{b_1^2 + b_2^2}$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 각도는 θ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \cos \theta$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 외적은 $\mathbf{a} \times \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \sin \theta$ 로 나타낼 수 있다.

이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = a_1 b_1 + a_2 b_2$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 외적은 $\mathbf{a} \times \mathbf{b} = \begin{vmatrix} \mathbf{i} & \mathbf{j} \\ a_1 & a_2 \\ b_1 & b_2 \end{vmatrix}$ 로 나타낼 수 있다.

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이 때 \mathbf{a} 와 \mathbf{b} 의 크기는 $|\mathbf{a}| = \sqrt{a_1^2 + a_2^2}$, $|\mathbf{b}| = \sqrt{b_1^2 + b_2^2}$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 각도는 θ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \cos \theta$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 외적은 $\mathbf{a} \times \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \sin \theta$ 로 나타낼 수 있다.

이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = a_1 b_1 + a_2 b_2$ 로 나타낼 수 있다.

이 때 \mathbf{a} 와 \mathbf{b} 의 크기는 $|\mathbf{a}| = \sqrt{a_1^2 + a_2^2}$, $|\mathbf{b}| = \sqrt{b_1^2 + b_2^2}$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 각도는 θ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 내적은 $\mathbf{a} \cdot \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \cos \theta$ 로 나타낼 수 있다. 이 때 \mathbf{a} 와 \mathbf{b} 의 외적은 $\mathbf{a} \times \mathbf{b} = |\mathbf{a}| |\mathbf{b}| \sin \theta$ 로 나타낼 수 있다.

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$$\begin{aligned} \text{a. } f(x) &= 2x^2 + 3x - 1, \quad g(x) = 3x^2 - 2x + 4, \quad h(x) = 4x^2 + 5x - 6 \\ \text{b. } f(x) &= 2x^2 + 3x - 1, \quad g(x) = 3x^2 - 2x + 4, \quad h(x) = 4x^2 + 5x - 6 \\ \text{c. } f(x) &= 2x^2 + 3x - 1, \quad g(x) = 3x^2 - 2x + 4, \quad h(x) = 4x^2 + 5x - 6 \end{aligned}$$

1. *Chlorophyll a* and *Chlorophyll b* content of the leaves of *C. sinensis* and *C. japonica* were determined by spectrophotometry. The results showed that the chlorophyll content of *C. sinensis* leaves was significantly higher than that of *C. japonica* leaves.

$$P_{\text{eff}} = \frac{\rho}{\mu} \left(\frac{v}{f} \right)^2$$

$\{x_i\}_{i=1}^n \in \mathbb{R}^n$ and $\{y_i\}_{i=1}^n \in \mathbb{R}^n$ are two sequences of real numbers. Let $\mathbf{X} = [x_1, x_2, \dots, x_n]^T$ and $\mathbf{Y} = [y_1, y_2, \dots, y_n]^T$ be the corresponding column vectors. The inner product of \mathbf{X} and \mathbf{Y} is defined as:

$$\langle \mathbf{X}, \mathbf{Y} \rangle = \sum_{i=1}^n x_i y_i.$$
 The norm of a vector \mathbf{X} is defined as:

$$\|\mathbf{X}\| = \sqrt{\langle \mathbf{X}, \mathbf{X} \rangle} = \sqrt{\sum_{i=1}^n x_i^2}.$$
 The Cauchy-Schwarz inequality states that for any two vectors \mathbf{X} and \mathbf{Y} ,

$$|\langle \mathbf{X}, \mathbf{Y} \rangle| \leq \|\mathbf{X}\| \|\mathbf{Y}\|.$$
 The triangle inequality for norms states that for any two vectors \mathbf{X} and \mathbf{Y} ,

$$\|\mathbf{X} + \mathbf{Y}\| \leq \|\mathbf{X}\| + \|\mathbf{Y}\|.$$
 The Minkowski inequality for p -norms states that for any two vectors \mathbf{X} and \mathbf{Y} and for $p \geq 1$,

$$\|\mathbf{X} + \mathbf{Y}\|_p \leq \|\mathbf{X}\|_p + \|\mathbf{Y}\|_p.$$
 The Hölder inequality states that for any two vectors \mathbf{X} and \mathbf{Y} and for $p, q \geq 1$ such that $\frac{1}{p} + \frac{1}{q} = 1$,

$$|\langle \mathbf{X}, \mathbf{Y} \rangle| \leq \|\mathbf{X}\|_p \|\mathbf{Y}\|_q.$$
 The Young's inequality states that for any two real numbers a and b and for $\alpha, \beta > 0$ such that $\frac{1}{\alpha} + \frac{1}{\beta} = 1$,

$$ab \leq \frac{\alpha a^2}{2} + \frac{\beta b^2}{2}.$$
 The Jensen's inequality states that for a convex function f and a probability distribution $\{p_i\}_{i=1}^n$,

$$f\left(\sum_{i=1}^n p_i x_i\right) \leq \sum_{i=1}^n p_i f(x_i).$$
 The Markov's inequality states that for a non-negative random variable X and for any $t > 0$,

$$P(X \geq t) \leq \frac{E[X]}{t}.$$
 The Chebyshev's inequality states that for a random variable X with mean μ and variance σ^2 ,

$$P(|X - \mu| \geq t) \leq \frac{\sigma^2}{t^2}.$$
 The Central Limit Theorem states that for a sequence of independent and identically distributed random variables X_1, X_2, \dots, X_n with mean μ and variance σ^2 , the standardized sum converges in distribution to a standard normal distribution:

$$\frac{\sum_{i=1}^n X_i - n\mu}{\sigma\sqrt{n}} \xrightarrow{d} N(0, 1).$$
 The Law of Large Numbers states that for a sequence of independent and identically distributed random variables X_1, X_2, \dots, X_n with mean μ , the sample mean converges to the population mean:

$$\frac{1}{n} \sum_{i=1}^n X_i \xrightarrow{a.s.} \mu.$$
 The Strong Law of Large Numbers states that for a sequence of independent and identically distributed random variables X_1, X_2, \dots, X_n with mean μ , the sample mean converges almost surely to the population mean:

$$\frac{1}{n} \sum_{i=1}^n X_i \xrightarrow{a.s.} \mu.$$
 The Weak Law of Large Numbers states that for a sequence of independent and identically distributed random variables X_1, X_2, \dots, X_n with mean μ , the sample mean converges in probability to the population mean:

$$\frac{1}{n} \sum_{i=1}^n X_i \xrightarrow{P} \mu.$$
 The Central Limit Theorem for non-identically distributed random variables states that for a sequence of independent random variables X_1, X_2, \dots, X_n with means μ_i and variances σ_i^2 , the standardized sum converges in distribution to a standard normal distribution:

$$\frac{\sum_{i=1}^n X_i - \sum_{i=1}^n \mu_i}{\sqrt{\sum_{i=1}^n \sigma_i^2}} \xrightarrow{d} N(0, 1).$$
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 The Central Limit Theorem for non-identically distributed random variables with varying variances states that for a sequence of independent random variables X_1, X_2, \dots, X_n with means μ_i and variances σ_i^2 , the standardized sum converges in distribution to a standard normal distribution:

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$$\frac{\sum_{i=1}^n X_i -$$

(iii) $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s. if and only if $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s.
 (iv) $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s. if and only if $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s.
 (v) $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s. if and only if $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1}^n \log \frac{f_n(x_i)}{f(x_i)} = 0$ a.s.

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• 1918 •

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ସିନ୍ଧୁ । (ସଜବାସପୂର୍ବେ) ହେ ପାଦାମ୍ବୁଜ ! ଆମି ତୁ ଆମି ତୁ କି
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$$\begin{aligned} \mathbf{y}_1^T &= \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 \\ \mathbf{y}_1^T &= \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 = \mathbf{y}_1^T \mathbf{Q} \mathbf{Q}^T \mathbf{y}_1 \end{aligned}$$

[illegible]

$$\left\{ \begin{array}{l} x_1 \\ x_2 \\ x_3 \end{array} \right\} = \left\{ \begin{array}{l} 0 \\ 0 \\ 0 \end{array} \right\}, \quad \left\{ \begin{array}{l} y_1 \\ y_2 \\ y_3 \end{array} \right\} = \left\{ \begin{array}{l} 0 \\ 0 \\ 0 \end{array} \right\}, \quad \left\{ \begin{array}{l} z_1 \\ z_2 \\ z_3 \end{array} \right\} = \left\{ \begin{array}{l} 0 \\ 0 \\ 0 \end{array} \right\}$$

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[illegible]

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$\frac{d}{dt} \left(\frac{\partial L}{\partial \dot{x}} \right) = \frac{\partial L}{\partial x}$

[illegible]

[illegible]

• ১৯৭৭-৭৮ সালে প্রথমবারের মতো পূর্ণাঙ্গ শিক্ষার্থীরা পড়াশোনা করেছেন।

[illegible]

1. *Quercus* 2. *Pinus* 3. *Juniperus* 4. *Thuja* 5. *Abies* 6. *Larix* 7. *Podocarpus* 8. *Taxus* 9. *Yew* 10. *Cedrus* 11. *Juniperus* 12. *Thuja* 13. *Abies* 14. *Larix* 15. *Podocarpus* 16. *Taxus* 17. *Yew* 18. *Cedrus* 19. *Juniperus* 20. *Thuja* 21. *Abies* 22. *Larix* 23. *Podocarpus* 24. *Taxus* 25. *Yew* 26. *Cedrus* 27. *Juniperus* 28. *Thuja* 29. *Abies* 30. *Larix* 31. *Podocarpus* 32. *Taxus* 33. *Yew* 34. *Cedrus* 35. *Juniperus* 36. *Thuja* 37. *Abies* 38. *Larix* 39. *Podocarpus* 40. *Taxus* 41. *Yew* 42. *Cedrus* 43. *Juniperus* 44. *Thuja* 45. *Abies* 46. *Larix* 47. *Podocarpus* 48. *Taxus* 49. *Yew* 50. *Cedrus* 51. *Juniperus* 52. *Thuja* 53. *Abies* 54. *Larix* 55. *Podocarpus* 56. *Taxus* 57. *Yew* 58. *Cedrus* 59. *Juniperus* 60. *Thuja* 61. *Abies* 62. *Larix* 63. *Podocarpus* 64. *Taxus* 65. *Yew* 66. *Cedrus* 67. *Juniperus* 68. *Thuja* 69. *Abies* 70. *Larix* 71. *Podocarpus* 72. *Taxus* 73. *Yew* 74. *Cedrus* 75. *Juniperus* 76. *Thuja* 77. *Abies* 78. *Larix* 79. *Podocarpus* 80. *Taxus* 81. *Yew* 82. *Cedrus* 83. *Juniperus* 84. *Thuja* 85. *Abies* 86. *Larix* 87. *Podocarpus* 88. *Taxus* 89. *Yew* 90. *Cedrus* 91. *Juniperus* 92. *Thuja* 93. *Abies* 94. *Larix* 95. *Podocarpus* 96. *Taxus* 97. *Yew* 98. *Cedrus* 99. *Juniperus* 100. *Thuja* 101. *Abies* 102. *Larix* 103. *Podocarpus* 104. *Taxus* 105. *Yew* 106. *Cedrus* 107. *Juniperus* 108. *Thuja* 109. *Abies* 110. *Larix* 111. *Podocarpus* 112. *Taxus* 113. *Yew* 114. *Cedrus* 115. *Juniperus* 116. *Thuja* 117. *Abies* 118. *Larix* 119. *Podocarpus* 120. *Taxus* 121. *Yew* 122. *Cedrus* 123. *Juniperus* 124. *Thuja* 125. *Abies* 126. *Larix* 127. *Podocarpus* 128. *Taxus* 129. *Yew* 130. *Cedrus* 131. *Juniperus* 132. *Thuja* 133. *Abies* 134. *Larix* 135. *Podocarpus* 136. *Taxus* 137. *Yew* 138. *Cedrus* 139. *Juniperus* 140. *Thuja* 141. *Abies* 142. *Larix* 143. *Podocarpus* 144. *Taxus* 145. *Yew* 146. *Cedrus* 147. *Juniperus* 148. *Thuja* 149. *Abies* 150. *Larix* 151. *Podocarpus* 152. *Taxus* 153. *Yew* 154. *Cedrus* 155. *Juniperus* 156. *Thuja* 157. *Abies* 158. *Larix* 159. *Podocarpus* 160. *Taxus* 161. *Yew* 162. *Cedrus* 163. *Juniperus* 164. *Thuja* 165. *Abies* 166. *Larix* 167. *Podocarpus* 168. *Taxus* 169. *Yew* 170. *Cedrus* 171. *Juniperus* 172. *Thuja* 173. *Abies* 174. *Larix* 175. *Podocarpus* 176. *Taxus* 177. *Yew* 178. *Cedrus* 179. *Juniperus* 180. *Thuja* 181. *Abies* 182. *Larix* 183. *Podocarpus* 184. *Taxus* 185. *Yew* 186. *Cedrus* 187. *Juniperus* 188. *Thuja* 189. *Abies* 190. *Larix* 191. *Podocarpus* 192. *Taxus* 193. *Yew* 194. *Cedrus* 195. *Juniperus* 196. *Thuja* 197. *Abies* 198. *Larix* 199. *Podocarpus* 200. *Taxus* 201. *Yew* 202. *Cedrus* 203. *Juniperus* 204. *Thuja* 205. *Abies* 206. *Larix* 207. *Podocarpus* 208. *Taxus* 209. *Yew* 210. *Cedrus* 211. *Juniperus* 212. *Thuja* 213. *Abies* 214. *Larix* 215. *Podocarpus* 216. *Taxus* 217. *Yew* 218. *Cedrus* 219. *Juniperus* 220. *Thuja* 221. *Abies* 222. *Larix* 223. *Podocarpus* 224. *Taxus* 225. *Yew* 226. *Cedrus* 227. *Juniperus* 228. *Thuja* 229. *Abies* 230. *Larix* 231. *Podocarpus* 232. *Taxus* 233. *Yew* 234. *Cedrus* 235. *Juniperus* 236. *Thuja* 237. *Abies* 238. *Larix* 239. *Podocarpus* 240. *Taxus* 241. *Yew* 242. *Cedrus* 243. *Juniperus* 244. *Thuja* 245. *Abies* 246. *Larix* 247. *Podocarpus* 248. *Taxus* 249. *Yew* 250. *Cedrus* 251. *Juniperus* 252. *Thuja* 253. *Abies* 254. *Larix* 255. *Podocarpus* 256. *Taxus* 257. *Yew* 258. *Cedrus* 259. *Juniperus* 260. *Thuja* 261. *Abies* 262. *Larix* 263. *Podocarpus* 264. *Taxus* 265. *Yew* 266. *Cedrus* 267. *Juniperus* 268. *Thuja* 269. *Abies* 270. *Larix* 271. *Podocarpus* 272. *Taxus* 273. *Yew* 274. *Cedrus* 275. *Juniperus* 276. *Thuja* 277. *Abies* 278. *Larix* 279. *Podocarpus* 280. *Taxus* 281. *Yew* 282. *Cedrus* 283. *Juniperus* 284. *Thuja* 285. *Abies* 286. *Larix* 287. *Podocarpus* 288. *Taxus* 289. *Yew* 290. *Cedrus* 291. *Juniperus* 292. *Thuja* 293. *Abies* 294. *Larix* 295. *Podocarpus* 296. *Taxus* 297. *Yew* 298. *Cedrus* 299. *Juniperus* 300. *Thuja* 301. *Abies* 302. *Larix* 303. *Podocarpus* 304. *Taxus* 305. *Yew* 306. *Cedrus* 307. *Juniperus* 308. *Thuja* 309. *Abies* 310. *Larix* 311. *Podocarpus* 312. *Taxus* 313. *Yew* 314. *Cedrus* 31

$\hat{F}(z) = \frac{1}{2\pi} \int_{-\infty}^{\infty} \hat{f}(\omega) e^{i\omega z} d\omega$

1944-1945

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$$z_1 = 1, \quad z_2 = \frac{1}{2} + \frac{\sqrt{3}}{2}i, \quad z_3 = \frac{1}{2} - \frac{\sqrt{3}}{2}i, \quad z_4 = -1, \quad z_5 = -\frac{1}{2} + \frac{\sqrt{3}}{2}i, \quad z_6 = -\frac{1}{2} - \frac{\sqrt{3}}{2}i$$
$$\begin{aligned} (1) \quad & \frac{1}{2} \left(\frac{1}{2} \right)^2 = \frac{1}{2} \left(\frac{1}{4} \right) = \frac{1}{8} \\ (2) \quad & \frac{1}{2} \left(\frac{1}{2} \right)^2 = \frac{1}{2} \left(\frac{1}{4} \right) = \frac{1}{8} \\ (3) \quad & \frac{1}{2} \left(\frac{1}{2} \right)^2 = \frac{1}{2} \left(\frac{1}{4} \right) = \frac{1}{8} \end{aligned}$$
$$\begin{aligned} & \text{Let } \mathbf{A} = \begin{pmatrix} 1 & 2 & 3 \\ 2 & 3 & 4 \\ 3 & 4 & 5 \end{pmatrix}, \mathbf{B} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}, \mathbf{C} = \begin{pmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{pmatrix}, \mathbf{D} = \begin{pmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{pmatrix} \\ & \text{Find } \mathbf{A} + \mathbf{B}, \mathbf{A} - \mathbf{B}, \mathbf{A} \mathbf{B}, \mathbf{B} \mathbf{A}, \mathbf{A} \mathbf{C}, \mathbf{C} \mathbf{A}, \mathbf{A} \mathbf{D}, \mathbf{D} \mathbf{A}, \mathbf{B} \mathbf{C}, \mathbf{C} \mathbf{B}, \mathbf{B} \mathbf{D}, \mathbf{D} \mathbf{B}, \mathbf{C} \mathbf{D}, \mathbf{D} \mathbf{C} \end{aligned}$$

ଅନୁସନ୍ଧାନ

—୧୯୯୯—

ଅନୁସନ୍ଧାନ ପତ୍ର

ଅନୁସନ୍ଧାନ ପତ୍ର

ଅନୁସନ୍ଧାନ ପତ୍ର

ଅନୁସନ୍ଧାନ ପତ୍ର

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$$h_1 = \frac{1}{2} \log 2$$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32

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[illegible]
$$\frac{d}{dt} \left(\frac{1}{2} m \dot{x}^2 \right) = \frac{d}{dt} \left(\frac{1}{2} m \dot{y}^2 \right) = \frac{d}{dt} \left(\frac{1}{2} m \dot{z}^2 \right) = \frac{d}{dt} \left(\frac{1}{2} m \dot{\theta}^2 \right) = \frac{d}{dt} \left(\frac{1}{2} m \dot{\phi}^2 \right) = \frac{d}{dt} \left(\frac{1}{2} m \dot{\psi}^2 \right)$$

[illegible]

$\frac{d}{dt} \left(\frac{\partial L}{\partial \dot{x}} \right) = \frac{\partial L}{\partial x}$

(1) $\mathcal{P}(\mathcal{A}) = \{A \in \mathcal{A} : P(A) = 1\}$ である。このとき、 $\mathcal{P}(\mathcal{A})$ は \mathcal{A} の部分 σ -代数であり、 $\mathcal{P}(\mathcal{A})$ 上の確率測度 P は $P(A) = 1$ となる。また、 $\mathcal{P}(\mathcal{A})$ は \mathcal{A} の部分 σ -代数であり、 $\mathcal{P}(\mathcal{A})$ 上の確率測度 P は $P(A) = 1$ となる。

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

১৮৭৫ খ্রিঃ ১৪/১০/১২

$\mathcal{P}(q) = \{p_1, p_2, \dots, p_{n-1}\}$ and $\mathcal{Q}(q) = \{q_1, q_2, \dots, q_{n-1}\}$ are the q -analog of the n -element set $\{1, 2, \dots, n\}$ and the q -analog of the n -element set $\{0, 1, 2, \dots, n-1\}$ respectively. The q -analog of the n -element set $\{0, 1, 2, \dots, n\}$ is denoted by $\mathcal{Q}(q) \cup \{n\}$. The q -analog of the n -element set $\{0, 1, 2, \dots, n-1\}$ is denoted by $\mathcal{Q}(q)$.

Let $\mathcal{P}(q) = \{p_1, p_2, \dots, p_{n-1}\}$ and $\mathcal{Q}(q) = \{q_1, q_2, \dots, q_{n-1}\}$ be the q -analog of the n -element set $\{1, 2, \dots, n\}$ and the q -analog of the n -element set $\{0, 1, 2, \dots, n-1\}$ respectively.

Let $\mathcal{P}(q) = \{p_1, p_2, \dots, p_{n-1}\}$ and $\mathcal{Q}(q) = \{q_1, q_2, \dots, q_{n-1}\}$ be the q -analog of the n -element set $\{1, 2, \dots, n\}$ and the q -analog of the n -element set $\{0, 1, 2, \dots, n-1\}$ respectively. Let $\mathcal{P}(q) = \{p_1, p_2, \dots, p_{n-1}\}$ and $\mathcal{Q}(q) = \{q_1, q_2, \dots, q_{n-1}\}$ be the q -analog of the n -element set $\{1, 2, \dots, n\}$ and the q -analog of the n -element set $\{0, 1, 2, \dots, n-1\}$ respectively.

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$$p_i = \frac{1-q^i}{1-q}, \quad q_i = \frac{1-q^{i+1}}{1-q}.$$

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由 (1) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

$$\lim_{(x, y, z) \rightarrow (x_0, y_0, z_0)} f(x, y, z) = f(x_0, y_0, z_0) = f(x_0, y_0, z_0) + 0 = f(x_0, y_0, z_0).$$

由 (2) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (3) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (4) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (5) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (6) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (7) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (8) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (9) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (10) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (11) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

由 (12) 知, $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处可微, 故 $f(x, y, z)$ 在点 (x_0, y_0, z_0) 处连续, 从而

୩୫୩ । ସେ ବାଦ୍ୟର ନାମ, ଉଦାହରଣ ଆଦିରେ ମଧ୍ୟ ଏବଂ
ସଂଶ୍ଳିଷ୍ଟ ହେବେ । ଏବଂ ଏହାକୁ କିଏ ବାଜାଏ ? କିପରି
ଦେଖିବାକୁ ଯାଏ ? ଇତ୍ୟାଦି ଆଦି । ସର୍ବତ୍ର ଏହି ବିଷୟ ସମ୍ବନ୍ଧ
ଦେଖିବାକୁ ଯାଏ । ଉଦାହରଣ ସ୍ୱରୂପ ଉକ୍ତ ବାଦ୍ୟର ନାମ ଉଦାହରଣ ।

୩୫୪ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୫୫ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୫୬ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ ।

୩୫୭ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୫୮ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ ।

୩୫୯ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୬୦ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୬୧ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ ।

୩୬୨ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

୩୬୩ । ଏହି ବାଦ୍ୟର ନାମ ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ । ଏହା
ଏକପ୍ରକାର ବାଦ୍ୟ ଯାହା ଉଦାହରଣ ଉଦାହରଣ ।

